

B.Sc Part II (Physics Hon's)  
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Question: Describe Michelson's Interferometer and Explain how it can be used to obtain circular fringes with monochromatic light.  
OR

How will you use it to determine the wavelength of monochromatic light?

Answer: Micelson Interferometer: →

It is an apparatus with which interference fringes are produced by reflection at an air film.

Construction: →

S → An extended source which gives a parallel incident beam

A → accurately plane parallel plate of homogeneous glass set at  $45^\circ$  to the axis of incident beam. It is half silvered on the face nearer to B.

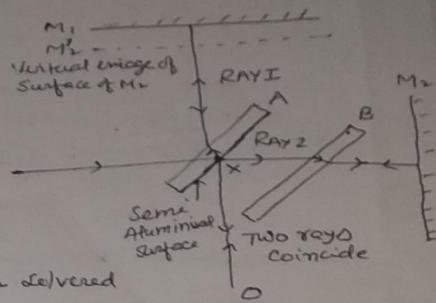
B → a transparent plate (identical with A) kept parallel with A

$M_1, M_2$  → two plane mirrors with their silvered faces vertical and  $\perp$  to each other. The minor  $M_2$  is mounted on a carriage which can be moved parallel to itself by means of a screw. The displacement of  $M_2$  can be accurately determined by a linear scale and a circular scale.

O → Observing Telescope

Working: → Light from an extended source is made parallel and allowed to fall on A. A ray of light incident on A is partly reflected and partly transmitted. The reflected ray 1, and the transmitted ray 2 travel to  $M_1$  and  $M_2$  respectively. After reflection at  $M_1$  and  $M_2$  the two rays recombine at the partially silvered surface and enter the observing telescope O. Since the rays entering the telescope are derived from the same incident ray, they are coherent and hence produce interference fringes which can be seen in the telescope.

② In absence of B, the paths of ray 1 & ray 2 in glass are not equal. To equalise paths, a glass plate



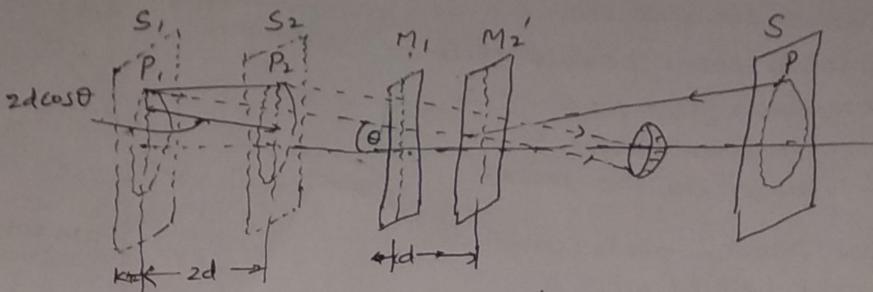
B, which has the same thickness as A is placed parallel to A. Hence B is called the compensating plate.

### FORMATION OF FRINGES:-

$M_1'$  is the image of  $M_2$  formed by reflection at the same silvered surface of A so that  $xM_2' = xM_2$ . The interference fringes are formed by light reflected from the surface of  $M_1$  and  $M_2'$  respectively. This is equivalent to an air film enclosed between the reflecting surfaces  $M_1$  and  $M_2'$ .

### (I) CIRCULAR FRINGES:-

When  $M_1$  is exactly  $\perp$  to  $M_2$ , the air film  $M_1 M_2'$  is uniform thickness which gives circular fringes localised at  $\infty$ .



$M_1$  and  $M_2'$  are parallel reflectors. The actual source is replaced by virtual source  $S'$  formed by reflection in A.  $S'$  forms two virtual images  $S_1$  and  $S_2$  in  $M_1$  and  $M_2'$  respectively. The light from a point  $P$  on the extended source appears to come from  $P_1$  and  $P_2$  on  $S_1$  and  $S_2$ . If  $M_1 M_2' = d$  and  $S_1 S_2 = 2d$ . The path difference between the rays entering the eye is  $2d \cos \theta$ . Now

$P$  appears bright if  $2d \cos \theta = n\lambda$  and

$P$  appears dark if  $2d \cos \theta = (2n+1)\lambda/2$

The locus of the points of the source making same angle at the axis is a circle; hence a series of bright and dark circular fringes is seen. Fringes are at  $\infty$  because interfering rays are parallel.

With white light a few curved and coloured localised fringes are obtained if the thickness of the film is small. The fringes corresponding to  $d=0$

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is perfectly straight and achromatic. For large thickness of the film uniform illumination is obtained.

### DETERMINATION OF WAVELENGTH OF MONOCHROMATIC LIGHT :-

The interferometer is adjusted for circular fringes.  $M_2$  is adjusted to obtain a bright spot at the centre of field of view. If 'd' be the thickness of the film, then for  $n$ th order of spot, we have

$$2d \cos\theta = n\lambda$$

At the centre  $\theta = 0^\circ$ ,  $\cos 0^\circ = 1$

$$\therefore 2d = n\lambda \quad \dots \dots \dots \quad (1)$$

Wavelength then if  $M_2$  is moved away from  $M_1$  by half replaces  $n$  in eq<sup>n</sup>(1), hence  $(n+1)$ th bright spot appears at the centre. Then each time  $M_2$  moves by  $\lambda/2$ , next bright spot appears at the centre.

Let  $D$  = Displacement of  $M_2$  and

$N$  = nos of new fringes appearing at centre

$$\therefore D = N \cdot \frac{\lambda}{2}$$

$$\therefore \lambda = \frac{2D}{N}$$

The distance  $D$  is measured with the help of the micrometer screw and  $N$  is counted visually. Hence  $\lambda$  can be easily calculated.

